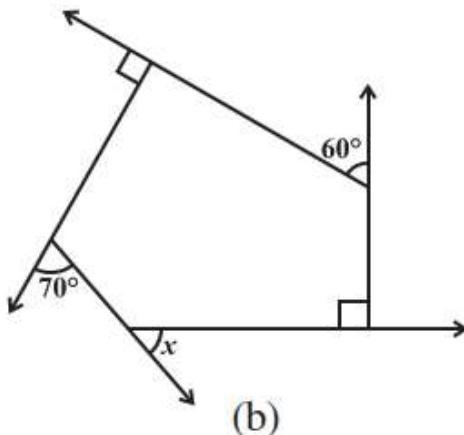
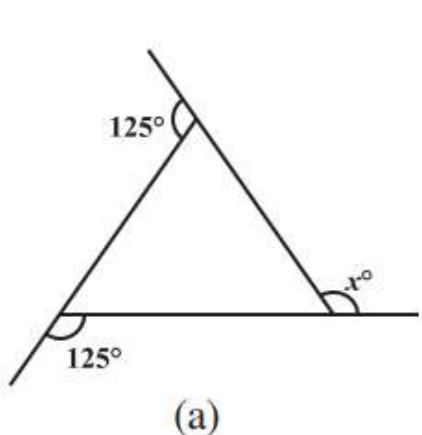


## Understanding Quadrilaterals: Exercise 3.2

### Q.1 Find $x$ in the following figures.



**Sol.** (a) Since, sum of all exterior angles of any polygon =  $360^\circ$

$$\text{So, } 125^\circ + 125^\circ + x = 360^\circ$$

$$250^\circ + x = 360^\circ$$

$$x = 360^\circ - 250^\circ = 110^\circ$$

(b) Since, sum of all exterior angles of any polygon =  $360^\circ$

$$\text{So, } 60^\circ + 90^\circ + 70^\circ + x + 90^\circ = 360^\circ$$

$$310^\circ + x = 360^\circ$$

$$x = 360^\circ - 310^\circ = 50^\circ$$

## Q.2 Find the measure of each exterior angle of a regular polygon of

**Sol.** (i) Since, sum of all exterior angles of any polygon =  $360^\circ$

And for any regular polygon, the measure of each exterior angle will be same.

So, measure of each exterior angle for a regular polygon with 9 sides =  $\frac{360^\circ}{9} = 40^\circ$

(ii) Since, sum of all exterior angles of any polygon  $\equiv 360^\circ$

And for any regular polygon, the measure of each exterior angle will be same.

So, measure of each exterior angle of a regular polygon with 15 sides =  $\frac{360^\circ}{15} = 24^\circ$

### Q.3 How many sides does a regular polygon have if the measure of an exterior angle is $24^\circ$ ?

**Sol.** Since, as we now that sum of all exterior angles of any polygon =  $360^\circ$

and measure of an exterior angle =  $24^\circ$

So, number of sides of the regular polygon will be  $= \frac{360^\circ}{24^\circ} = 15$

**Q.4 How many sides does a regular polygon have if each of its interior angles is  $165^\circ$ ?**

**Sol.** Given: Each of interior angles of polynomial =  $165^\circ$

So, the exterior angle =  $(180^\circ - 165^\circ) = 15^\circ$

Since, sum of all exterior angles of any polygon =  $360^\circ$

So, number of sides of the regular polygon =  $\frac{360^\circ}{15^\circ} = 24$

**Q.5 (a) Is it possible to have a regular polygon with measure of each exterior angle as  $22^\circ$ ?**

**(b) Can it be an interior angle of a regular polygon? Why?**

**Sol.** (a) It is not possible to have a regular polygon with measure of each exterior angle as  $22^\circ$ . Because sum of all exterior angles of any polygon is  $360^\circ$ . So, each exterior angle has to be multiple of  $360^\circ$ . Given exterior angle as  $22^\circ$  which is not the multiple of  $360^\circ$ .

Thus such polygon is not possible.

(b) It is not possible to have a regular polygon with measure of interior angle as  $22^\circ$ . As we know that sum of all exterior angles of any polygon is  $360^\circ$ .

Since, interior angle =  $22^\circ$

So, exterior angle will be =  $180^\circ - 22^\circ = 158^\circ$

Since,  $158^\circ$  is not the multiple of  $360^\circ$ .

Thus, such polygon is not possible.

**Q.6 (a) What is the minimum interior angle possible for a regular polygon? Why?**

**(b) What is the maximum exterior angle possible for a regular polygon?**

**Sol.** (a) Since, a regular polygon with lowest number of equal sides = 3 (equilateral triangle).

And each angle of equilateral triangle =  $60^\circ$

As we know we that sum of all the angles of a triangle =  $180^\circ$

So,  $x + x + x = 180^\circ$

$$3x = 180^\circ$$

$$x = 60^\circ$$

Thus, minimum interior angle possible for a regular polygon =  $60^\circ$ .

(b) Since, a regular polygon with lowest possible number of sides = 3.

And sum of all exterior angles of any polygon =  $360^\circ$

Therefore, exterior angle of triangle will be =  $\frac{360^\circ}{3} = 120^\circ$

Thus, maximum exterior angle possible for a regular polygon =  $120^\circ$